## Appendix 4 Observation Record C: $6^{\text {th }}$ July 2011

Teacher: Claire Year group: Y2 $\quad$ Number in class: $28 \quad$ Highlighted text: data extracted for analysis and outcomes

## Context:

Mixed ability class solving missing number problems - properties of the equals sign to recognise that the two sides in an equation are the same. Claire wants them to use a 'finding the difference' strategy to calculate. Two TAs as support

| Notes: | Mental maths starter session - shared success criteria: / know I am successful when I can say: <br> - what I notice <br> - what is the same <br> - what is different <br> On interactive whiteboard selection of numbers - 76, 55, 70, 111, 6, thirty-five, three hundred, two hundred and two | Children discussing what they notice with numbers - moved on to using calculations | Claire brought the class together to go on to the main part of the lesson - shared success criteria: Can I solve a missing number problem? Can I use the equals sign? Written on the board: $5+[]=17$ <br> How can we do this? | On the whiteboard Claire wrote examples: $\begin{aligned} & 6+4=3+\square] \\ & 12+8=15+\square \\ & 20=15+\square \\ & 9+\square=2+18 \end{aligned}$ <br> Children sat on carpet - still there after 20 minutes - while Claire went through each example |
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| Time: | 5 mins | 10 mins | 15 mins | 20 mins |
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BMK

| a) Qualifications |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| b) Beliefs | Open question given. What is <br> the same and what is different <br> about these numbers? <br> Enthusiastic and excited <br> about maths. | Used open questions: <br> What do you notice? <br> What is the same? What is <br> different? | Introduced this as an abstract <br> activity - no relation to real- <br> life problem or context. | Transmission approach <br> favoured - children not using <br> strategies Claire had hoped <br> for - getting frustrated. |

## Appendix 4 Observation Record C: $6^{\text {th }}$ July 2011

|  |  |  | valuing other methods given |  |
| :---: | :---: | :---: | :---: | :---: |
| c) Confidence | Confident use of language digit, number, place value used and explained |  |  | Good understanding of importance of inverse operations |
| KTM |  |  |  |  |
| a) Connections | Properties of numbers - even, odd, bigger than 100 | Talked about patterns and place value, linked to addition of 222 and 111 . | Made a point of linking + and - but didn't build on this | Inverse relationship between + and - emphasised, showed how $5+[]=17$ is linked to $17-5=$ <br> Asked children to rearrange numbers using fact families. |
| b) Progression |  | One child worked out that 300 $-78=222$. Claire interested in how he had worked it out using partitioning: 300-70 = $230 \quad 230-8=222$ |  | Jump too quick on to balanced equations - needed to consolidate inverse operations practically. |
| c) Representation | Used interactive whiteboard to display numbers. Language used carefully |  | $5+\square=17$ <br> Showed 0-20 number line from 5 counting on to 10 then onto 17. Children struggling with relating to missing number problem. Children used fingers to count on. | Use 100-square next to the list of questions and used it to show counting on. Clear explanations given for two examples - children still counting on their fingers to check answers. |
|  |  |  |  |  |


| KLM |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| a) Concepts | Dealt with confusion between digit and number - 222 as 2 hundreds, 2 tens and 2 units - HTU written to support |  | Claire not dealing with the different mental methods used. One child knew it was 4 because $6+6$ is 12 and 10 is 2 less than this. Not followed up or acknowledged as a useful method. | Reinforcing the = sign as 'is the same as' so that making both sides the same becomes the important concept to focus on |
| b) Interaction | Whole class starter, then allowed children to work in talk partners and small groups to find similarities and differences. Children on-task. | Allowed children to work together in small groups Claire moving around and talking to individuals | Children giving different methods. Claire asked them to use the inverse, but children not understanding this. | Teacher led discussion Claire giving most of the methods. |

Notes: Children set tasks in ability groups. LA - worked with TA to make two sides of a number balance equal to show, for example $3+\square]=9$
MA with TA - Using 'finding the difference to find the missing number
HA - with Claire, using the inverse to find the missing number

Observed HA group working
on sheet - challenging
questions such as
[]$+14=16+16$

## Needed more

consolidation/practice of simpler inverse operations although worked on this in previous weeks

Claire held up the success criteria - children put smiley face or sad face on their whiteboards to show if they understood.

Children all brought back to the carpet to go through some fact families:
[]$+14=16+16$
[]$+14=32$
$14+[]=32$
$32-[]=14$
$32-14=[$

| Time: | 25 mins | 30 mins | 35 mins |
| :--- | :--- | :--- | :--- |

BMK

| a) Qualifications |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| b) Beliefs | Transmission approach - <br> gave one method for 10 + 20. <br> Hold 10 in your head and <br> count on in tens. | Non-constructivist - imparting <br> own methods, children not <br> taking ownership of the <br> methods and becoming <br> confused by the use of <br> inverses. |  |  |
| c) Confidence | Confident approach - knew <br> what she wanted and clear <br> understanding of method - <br> quick with number operations |  |  |  |

Appendix 4 Observation Record C: $6^{\text {th }}$ July 2011

| KTM | Inverse relationship between <br> addition and subtraction. <br> $22+\square=30$ | Used counting to add on the <br> $100-$ square <br> $30-22=\square$ | Linked the equations to fact <br> families |  |
| :--- | :--- | :--- | :--- | :--- |
| a) Connections | $[-14=16+16$ given to HA <br> group - LA group given <br> balances |  |  |  |
| b) Progression |  | Good use made of bucket <br> balances to represent $=$ in <br> equations. Cubes put either <br> end to balance - LA group | LA Group needed balance to <br> make sense of the equations - <br> worked well. | 100-square used by HA - for <br> example to work out $11+18$ |


| KLM |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| a) Concepts |  | Used success criteria to check <br> if children understood - very <br> clear explanation of criteria | Children asked to put their <br> thumbs up if they fett confident <br> to work out []$+14=16+16$. <br> Only 4 children put their <br> thumbs up. |  |
| b) Interaction | Transmission approach - <br> going through examples <br> showing the method to use. |  |  |  |
| c) Response | Good follow up question to <br> suggested answer: <br> How did you know? |  |  |  |

